Cyber Deception: Games, Defense, and Learning

Quanyan Zhu

December 1, 2022

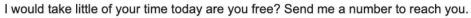
















Quanyan Zhu <quanyan.zhu@gmail.com> to David - Tue, Jul 21, 12:20 PM 🟠 🔦 :

I am free any time today before 4PM at 646 997 3371.

Best regards,

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Brains behind new **5G** data communications networks described below! New Bill Gates sponsored **corona virus** vaccine, w/nano tech, will run everything and control everyone who are still necessary, like bots to serve the elite? Get your vaccine now?

Get the facts about COVID-19

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The Rise of AI There's an AI revolution sweeping across the world. Yet few people know the rea

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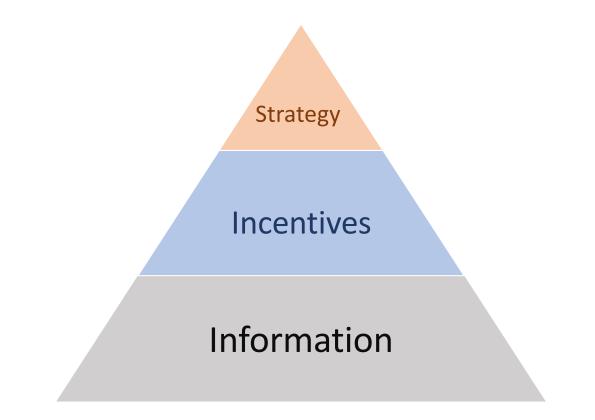
You Won't Believe What Obama Says In This Video! 😏





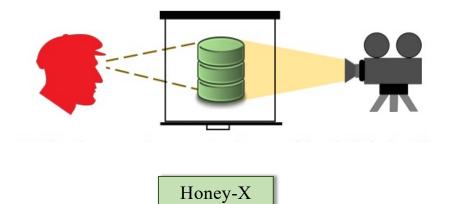
Deception

To deceive $\stackrel{\text{def}}{=}$ to **intentionally** cause another agent to acquire or continue to have a false **belief**, or to be prevented from acquiring or cease to have a true **belief**.



Incentives: What is the Purpose of the Deception?

Mimetic Deception



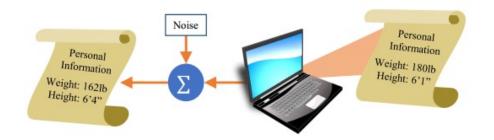
Cryptic Deception





Strategies: Single Actor or Multiple Actors?





• Single target / actor

Extensive Deception

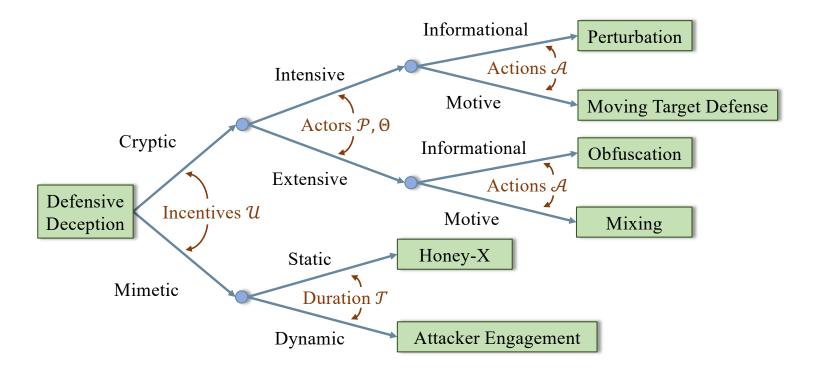


• Multiple targets / actors





Defensive Deception: Taxonomy

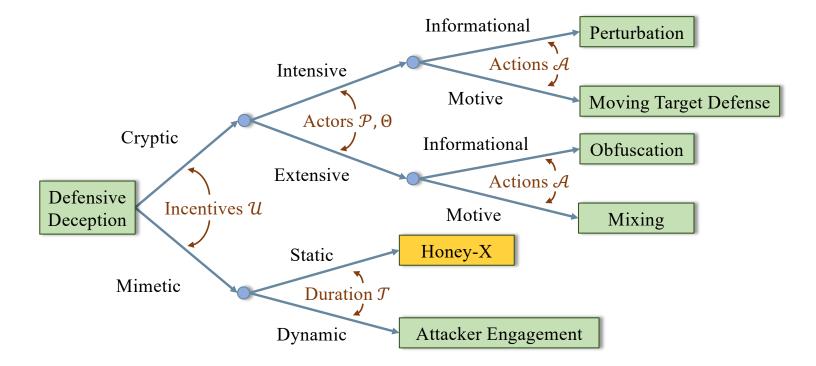


Pawlick J, Colbert E, Zhu Q. A game-theoretic taxonomy and survey of defensive deception for cybersecurity and privacy. ACM Computing Surveys (CSUR). 2019 Aug 30;52(4):1-28.

Talk Outline

- 1) Introduction
- 2) Taxonomy of defensive deception
- 3) Signaling games for mimetic cyber deception
 - Honey-X
 - Attack Engagement
- 4) Dynamic games for cyber-physical deception
 - Robotic Deception
 - Conjectural Meta-Learning
- 5) Future challenges

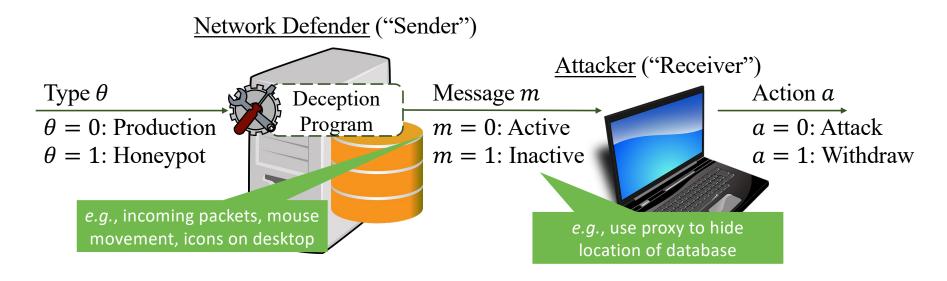
Taxonomy Based on Game Theoretic Principles



Pawlick J, Colbert E, Zhu Q. Modeling and analysis of leaky deception using signaling games with evidence. IEEE Transactions on Information Forensics and Security. 2018 Dec 12;14(7):1871-86.

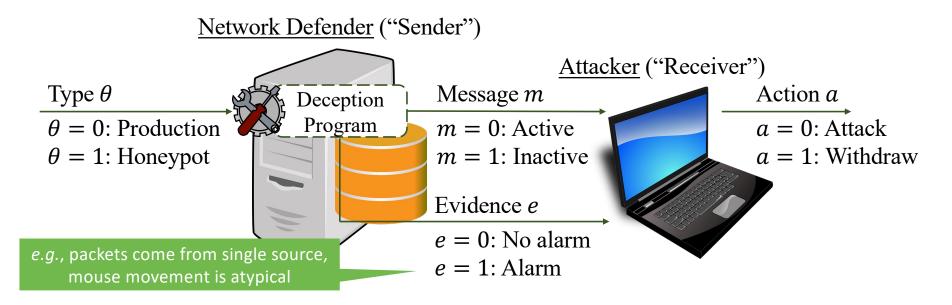
Mimesis and Modeling Belief

• Signaling games model belief [Lewis 1969, Crawford & Sobel 1982].



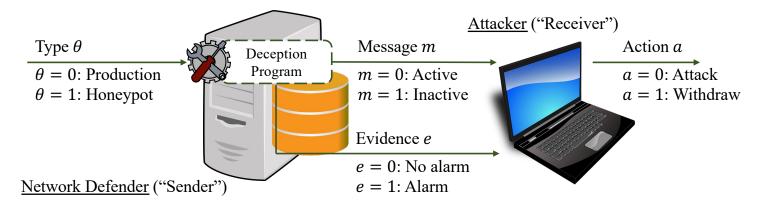
Mimesis and Modeling Belief

• But "deception program" may leak evidence.



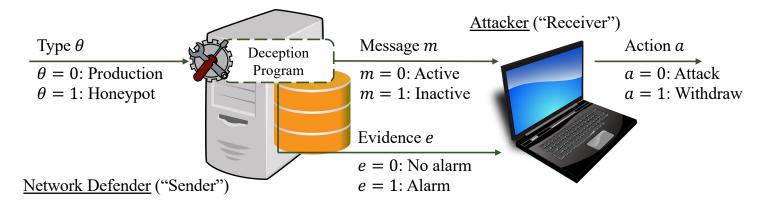
Mixed Strategies, Belief, and Expected Utility

- Attacker has (common) prior belief of system type θ with probability (wp) $p(\theta)$.
- Defender chooses message m wp $\sigma^{S}(m \mid \theta)$.
- Defender leaks evidence e wp $\lambda(e \mid \theta, m)$.
- Attacker forms belief $\mu^{R}(\theta \mid m, e)$ and chooses action $a \text{ wp } \sigma^{R}(a \mid m, e)$.



Mixed Strategies, Belief, and Expected Utility

- System of type θ has an expected utility of $U^{S}(\sigma^{S}, \sigma^{R} \mid \theta)$.
- Attacker that observes activity level m and evidence e has an expected utility of $\sum_{\theta \in \Theta} \mu^R(\theta \mid m, e) U^R(\sigma^R \mid \theta, m, e)$.



Perfect Bayesian Nash Equilibrium

A PBNE is a strategy profile $(\sigma^{S*}, \sigma^{R*})$ and posterior beliefs $\mu^R(\theta \mid m, e)$ such that: $\forall \theta \in \Theta$,

$$\sigma^{S*} \in \operatorname{argmax}_{\sigma^{S} \in \Gamma^{S}} U^{S}(\sigma^{S}, \sigma^{R*} \mid \theta),$$

 $\forall m \in M, e \in \mathbb{EV},$

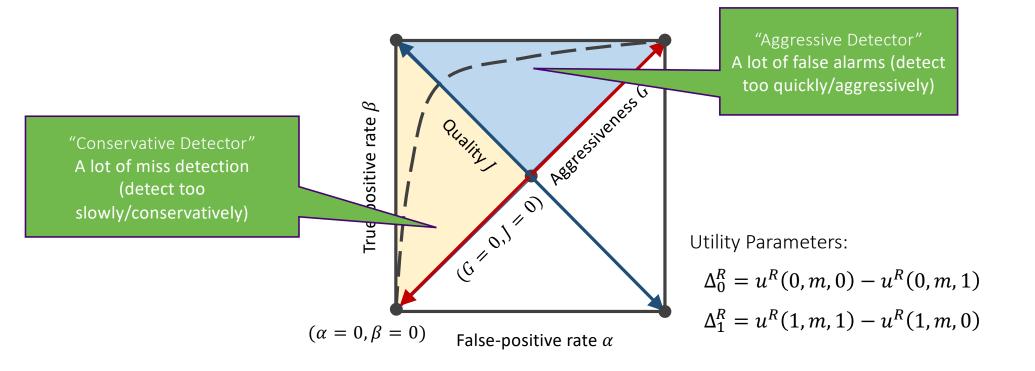
$$\sigma^{R*} \in \operatorname{argmax}_{\sigma^R \in \Gamma^R} \sum_{\theta \in \Theta} \, \mu^R(\theta \mid m, e) U^R(\sigma^R \mid \theta, m, e) \,,$$

and

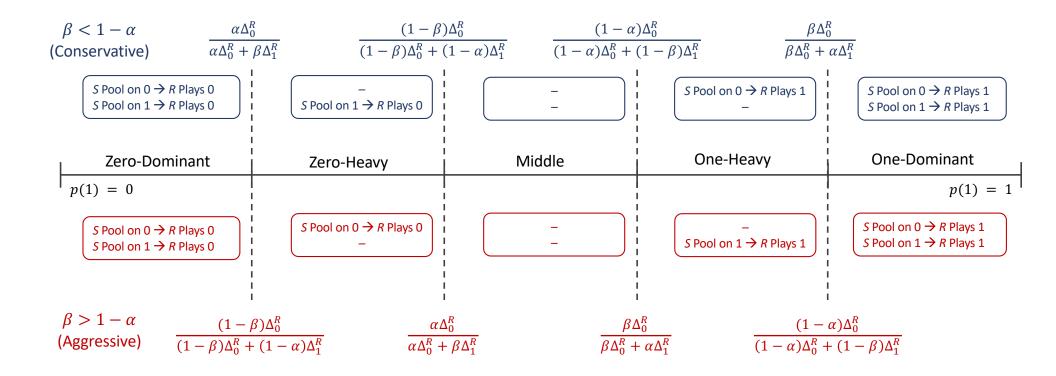
$$\mu^{R}(\theta \mid m, e) = \frac{\lambda(e \mid \theta, m)\sigma^{S}(m \mid \theta)p(\theta)}{\sum_{\widetilde{\theta} \in \Theta} \lambda(e \mid \widetilde{\theta}, m)\sigma^{S}(m \mid \widetilde{\theta})p(\widetilde{\theta})},$$

when that fraction is defined.

Detector and Utility Meta-Parameters



Equilibrium Regions



Partially-Separating Equilibria in the Middle Regime

Theorem (Aggressive Detectors). For $\beta > 1 - \alpha$, within the Middle regime, there exists a PBNE in which

$$\sigma^{S*}(m=1|\theta=0) = \frac{\overline{\alpha}\overline{\beta}\Delta_1^R}{(\overline{\alpha}^2 - \overline{\beta}^2)\Delta_0^R} \left(\frac{p(1)}{1 - p(1)}\right) - \frac{\overline{\beta}^2}{\overline{\alpha}^2 - \overline{\beta}^{2\prime}}$$
$$\sigma^{S*}(m=1|\theta=1) = \frac{\overline{\alpha}^2}{\overline{\alpha}^2 - \overline{\beta}^2} - \frac{\overline{\alpha}\overline{\beta}\Delta_0^R}{(\overline{\alpha}^2 - \overline{\beta}^2)\Delta_1^R} \left(\frac{1 - p(1)}{p(1)}\right),$$

and

$$\sigma^{R*}(a = 1 | m = 0, e = 0) = 0, \quad \sigma^{R*}(a = 1 | m = 0, e = 1) = \frac{1}{\alpha + \beta},$$

$$\sigma^{R*}(a = 1 | m = 1, e = 0) = 1, \quad \sigma^{R*}(a = 1 | m = 1, e = 1) = \frac{\alpha + \beta - 1}{\alpha + \beta},$$

and the beliefs are computed by Bayes' Law in all cases. Here $\overline{x} = 1 - x$.

Partially-Separating Equilibria in the Middle Regime

Theorem (Conservative Detectors). For $\beta < 1 - \alpha$, within the Middle regime, there exists a PBNE in which

$$\sigma^{S*}(m=1|\theta=0) = \frac{\beta^2}{\beta^2 - \alpha^2} - \frac{\alpha\beta\Delta_1^R}{(\beta^2 - \alpha^2)\Delta_0^R} \left(\frac{p(1)}{1 - p(1)}\right),$$

$$\sigma^{S*}(m=1|\theta=1) = \frac{\alpha\beta\Delta_0^R}{(\beta^2 - \alpha^2)\Delta_1^R} \left(\frac{1 - p(1)}{p(1)}\right) - \frac{\alpha^2}{\beta^2 - \alpha^{2'}}$$

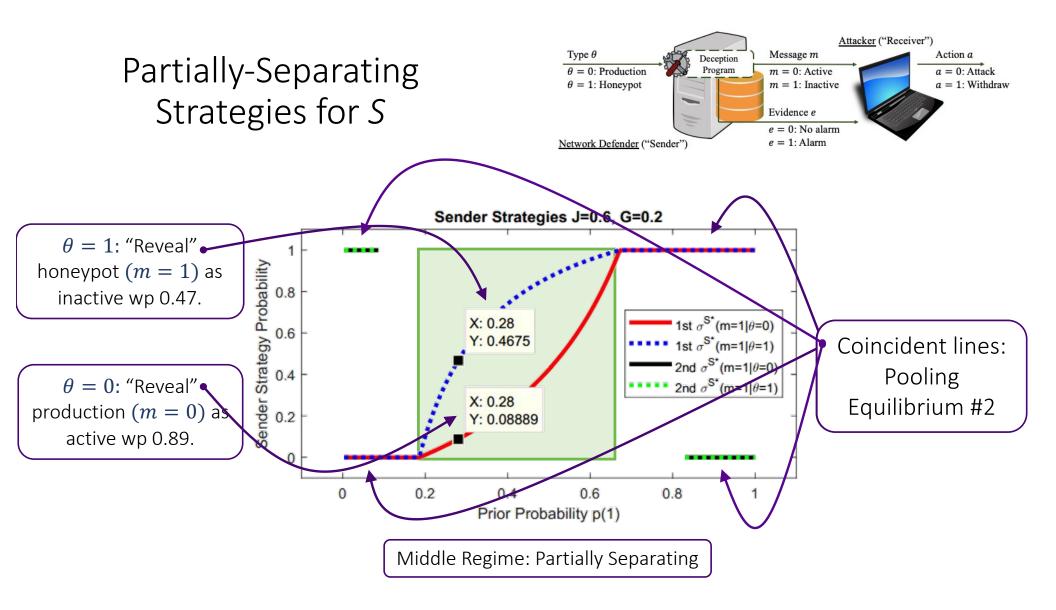
and

$$\sigma^{R*}(a = 1 | m = 0, e = 0) = \frac{1 - \alpha - \beta}{2 - \alpha - \beta}, \quad \sigma^{R*}(a = 1 | m = 0, e = 1) = 1,$$

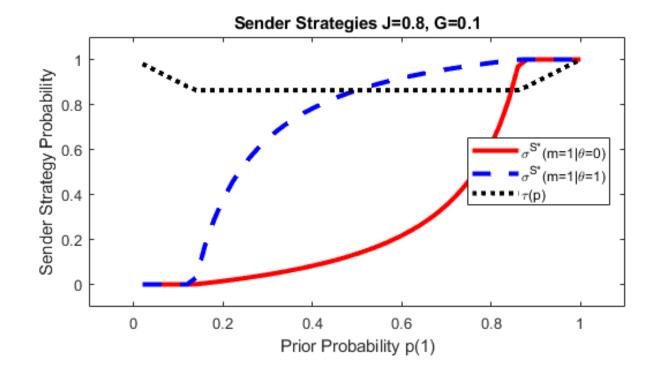
$$\sigma^{R*}(a = 1 | m = 1, e = 0) = \frac{1}{2 - \alpha - \beta}, \quad \sigma^{R*}(a = 1 | m = 1, e = 1) = 0,$$

the beliefs are computed by Bayes' Law in all cases

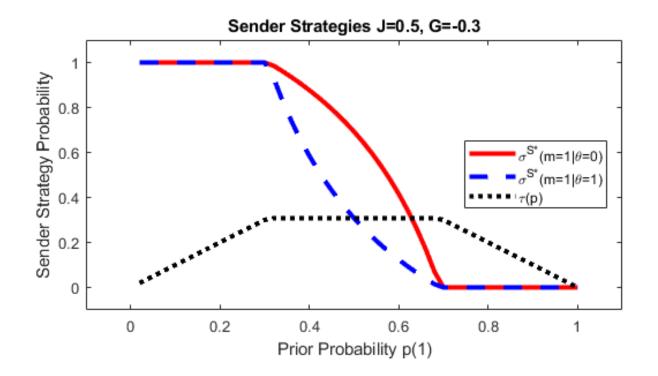
and the beliefs are computed by Bayes' Law in all cases.



Comparative Statics: Detector Quality $J = \beta - \alpha$



Comparative Statics: Aggressiveness $G = \beta - (1 - \alpha)$



Truth Induction

Theorem (Truth Induction). Set $\Delta_0^R = \Delta_1^R$. Within regimes that feature unique PBNE, for all $J \in [0,1]$ and for any prior probability $p(\theta)$:

$$\tau(J, G, p) \ge \frac{1}{2} \text{ for } G \in [0,1),$$

 $\tau(J, G, p) \le \frac{1}{2} \text{ for } G \in (-1,0],$

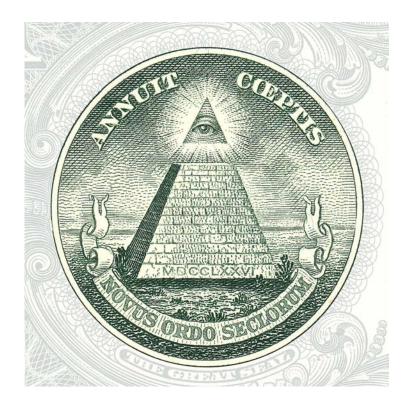
Fraction of messages $m = \theta$

where

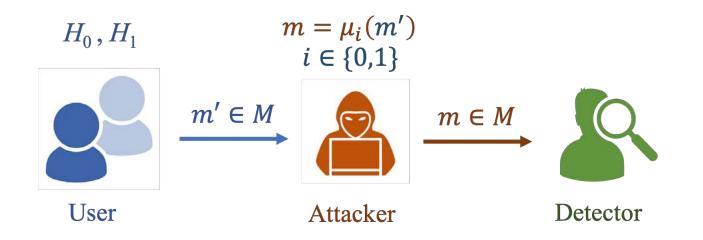
$$\tau(J,G,p) \triangleq \sum_{\theta \in \{0,1\}} p(\theta) \sigma^{S*}(m=\theta \mid \theta;p).$$

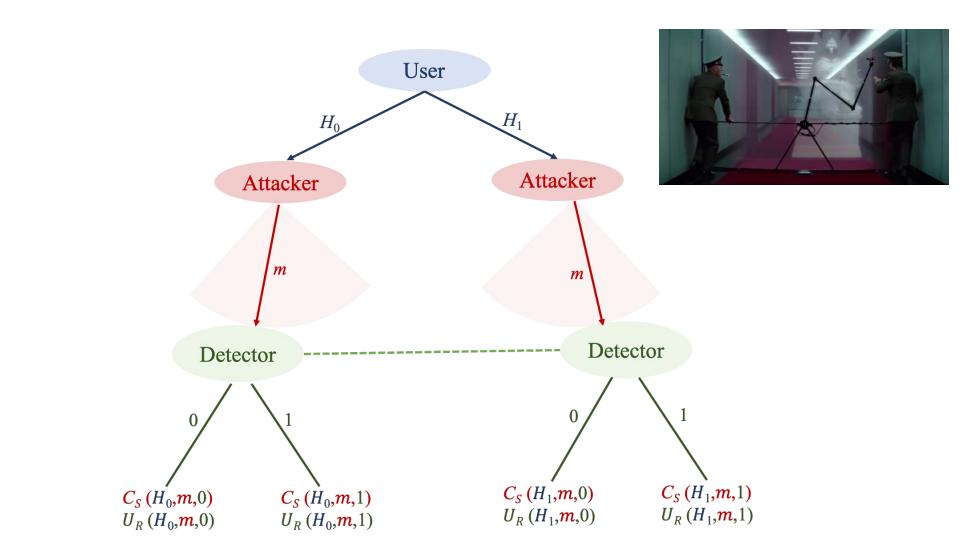
Aggressive detectors induce a *truth-telling convention*, while conservative detectors induce a *falsification convention*.

The Eye of Providence



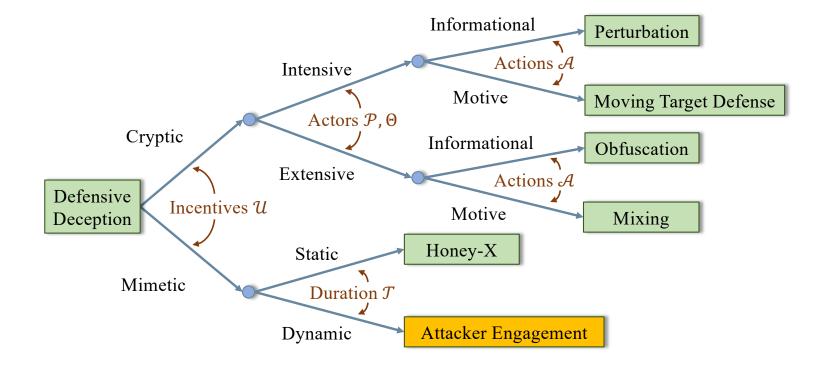
Offensive Deception





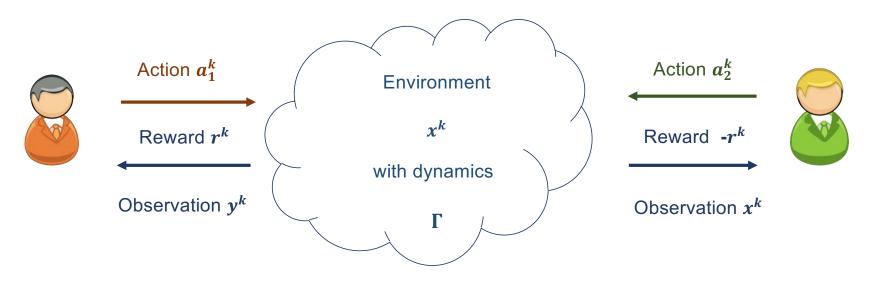
Hu Y, Zhu Q. Game-theoretic Neyman-Pearson detection to combat strategic evasion, in Proceedings of CDC 2022, arXiv preprint arXiv:2206.05276.

Defensive Deception: Taxonomy Based on Game Theoretic Principles

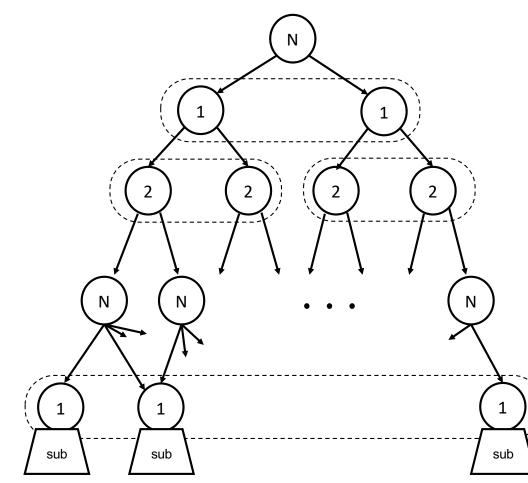


Dynamic Deception Model: One-Sided Partially Observable Markov Stochastic Games

- Two-player zero-sum
- Discounted infinite horizon

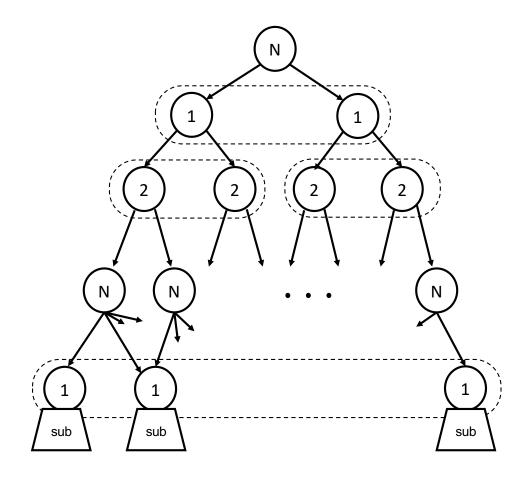


Horák K, Zhu Q, Bošanský B. Manipulating adversary's belief: A dynamic game approach to deception by design for proactive network security. International Conference on Decision and Game Theory for Security 2017 Oct 23 (pp. 273-294).



- An initial state is drawn from the initial belief $b^k \in \Delta(X)$.
- P2 observes x^k , P1 observes y^k .
- Players take simultaneous actions (a^k₁, a^k₂).
- Nature decides the state x^{k+1} and observation y^{k+1} at k + 1 according to transition kernel

 $\Gamma_{x^{k},a_{1}^{k},a_{2}^{k}}(x^{k+1},y^{k+1}).$



- P1's history $H_1^k := (A_1 \times Y)^k$
- P2's history $H_2^k := X \times (A_1 \times A_2 \times Y \times X)^k$
- Policy $\phi_i^k : H_i^k \mapsto \Delta(A_i)$
- Only need to keep track of belief for stationary policies
 - $\phi_1^{(b)} \in \Delta(A_1)$,
 - $\phi_2^{(b)}: X \mapsto \Delta(A_2)$
- P1's belief update under P2's policy $\phi_2^{(b)}$:

$$b_{\phi_2}^{a_1^k, y^k}(x^{k+1}) = \frac{\sum_{x^k \in X} \sum_{a_2^k \in A_2} \Gamma_{x^k, a_1^k, a_2^k}(x^{k+1}, y^k) b(x^k) \phi_2(x^k, a_2^k)}{\Pr(y^k | a_1^k, \phi_2)}$$

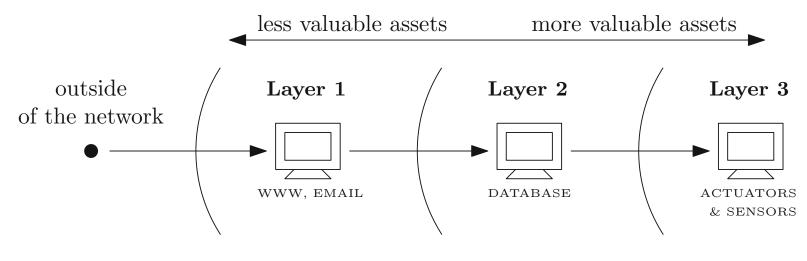
- Discounted-sum objective: $L = \sum_k \beta^k r^k$
- For zero-sum game:

$$\inf_{\phi_2} \sup_{\phi_1} L(\phi_1, \phi_2) = \sup_{\phi_1} \inf_{\phi_2} L(\phi_1, \phi_2)$$

• Convex value function v^* maps beliefs over the system state to the expected value.

$$v^{*}(b^{k}) = \min_{\phi_{2}} \max_{\phi_{1}} \left[\sum_{x^{k}, a_{1}^{k}, a_{2}^{k}} b^{k}(x^{k})\phi_{1}(a_{1}^{k})\phi_{2}(x^{k}, a_{2}^{k})r^{k}(x^{k}, a_{1}^{k}, a_{2}^{k}) + \beta \sum_{a_{1}^{k}, y^{k}} \Pr(a_{1}^{k}, y^{k}|b^{k}, \phi_{1}, \phi_{2})v^{*}(b^{k+1}) \right]$$

• Algorithms: LP and HSVI.

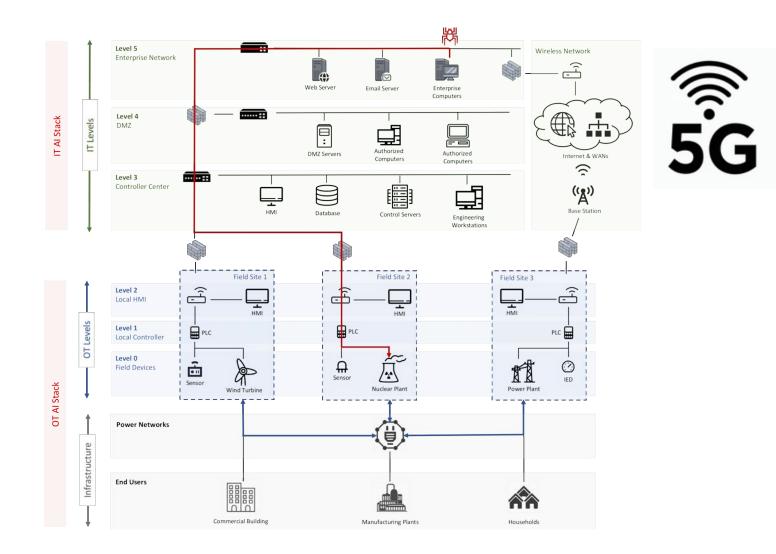


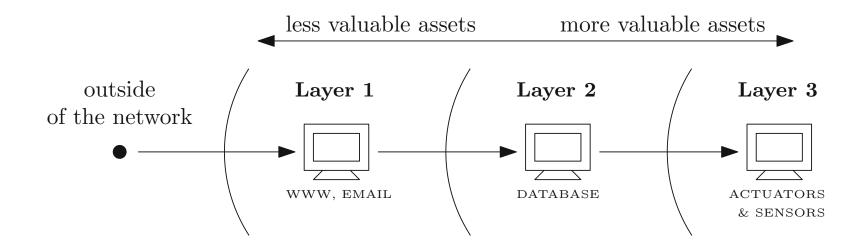
[Horak, Zhu, Bosansky, GameSec 2017]

Application in

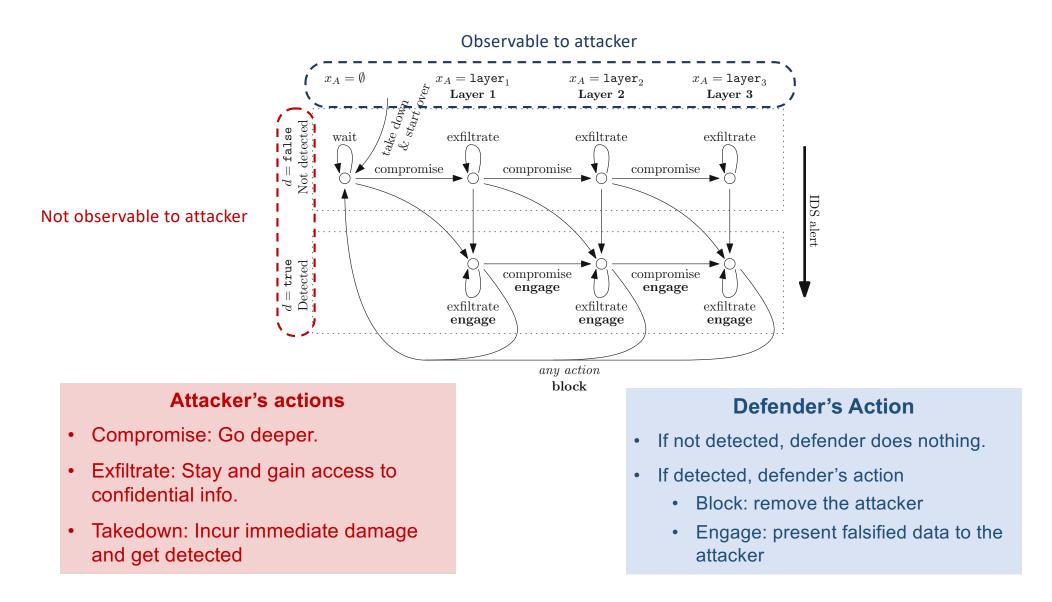
Network Security

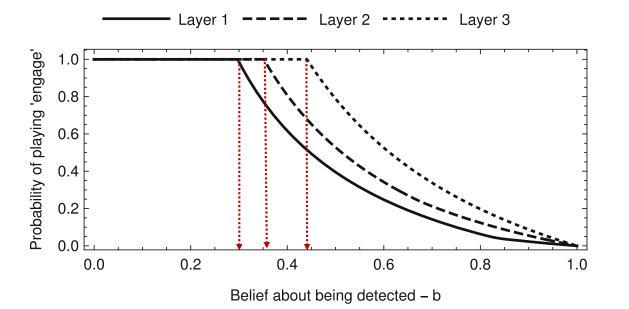
- Defender has perfect information.
- Attacker has partial observation.
- Defender manipulates the attacker's belief to prevent him from succeeding.





- Possible network topologies
- Attack vectors: $X_A = \{\emptyset, Layer_1, Layer_2, Layer_3\}$
- Defense vectors: $X_D = \{\emptyset\}$, i.e., deploy no dynamic resources
- Detection states: detected or not.



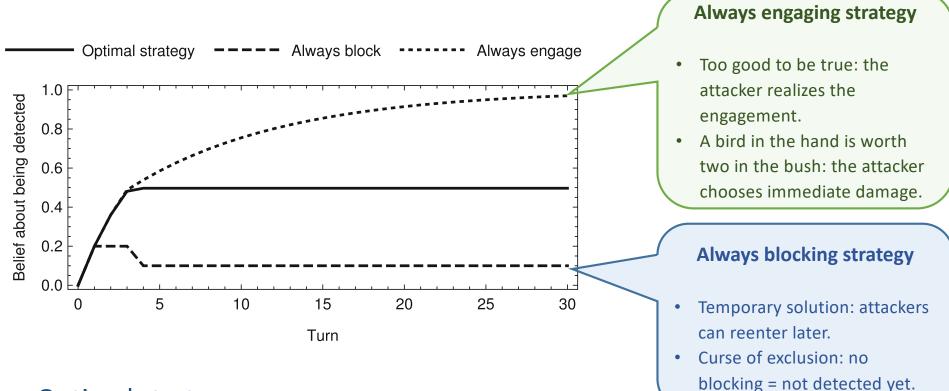


Blocking threshold

When attacker's confidence is below the threshold, the defender engages with prob. 1.

- Optimal defense strategy:
 - · Engage the attacker who believes that he has not been detected
 - Block others
- Demise of the greedy:
 - The blocking threshold increases when the attacker is closer to the goal of deeper layer penetration.
 - Attacker cares less about being detected when getting closer to the asset.
 - Less stringent on the belief for engagement when closer to the asset.

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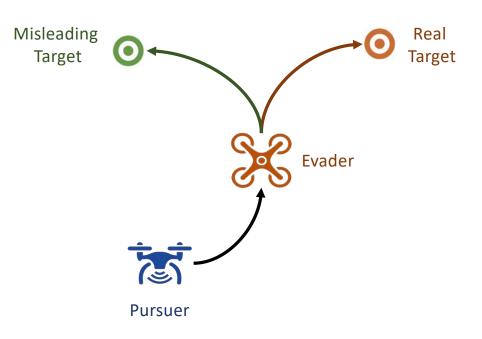


- Optimal strategy
 - Stabilize the attacker's belief at around 0.5.
 - Attacker's tradeoff of data exfiltration or being manipulated.

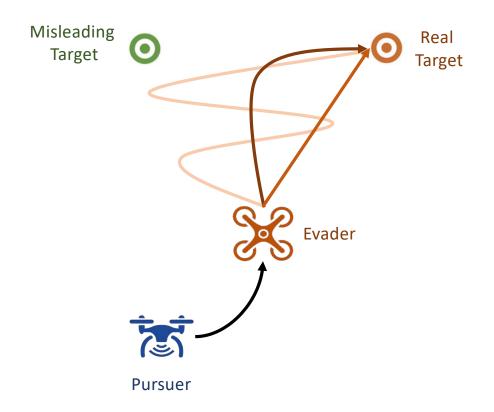
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Robotic Deception

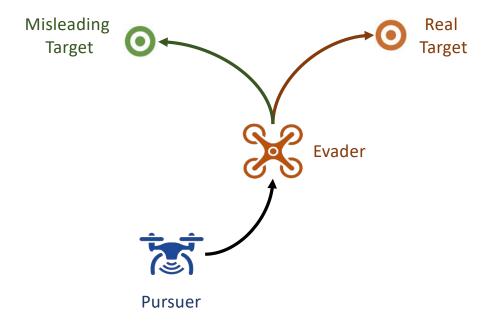


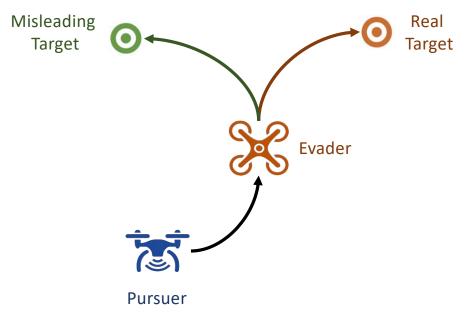
- The evader aims to reach his real target and keep a distance from the pursuer.
- The evader does not want to reveal his real target.
- The pursuer goes after the evader.



$$x^{k+1} = f^k(x^k, a_1^k, a_2^k, \theta_1, \theta_2, w^k)$$

$$\mathbb{E}_{\theta_{-i},\mathbf{w}}J_i(\mathbf{x},\mathbf{a}_1,\mathbf{a}_2,\theta_1,\theta_2)$$



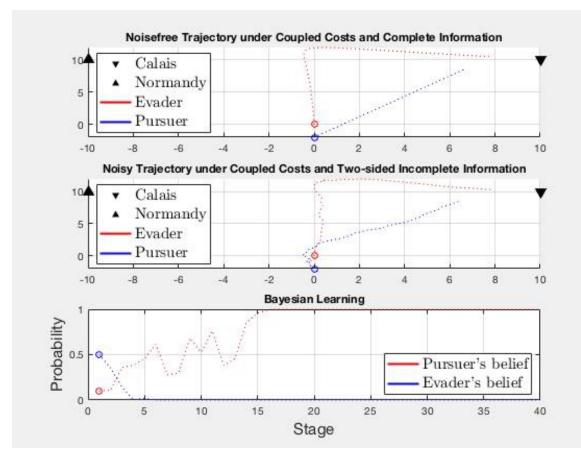


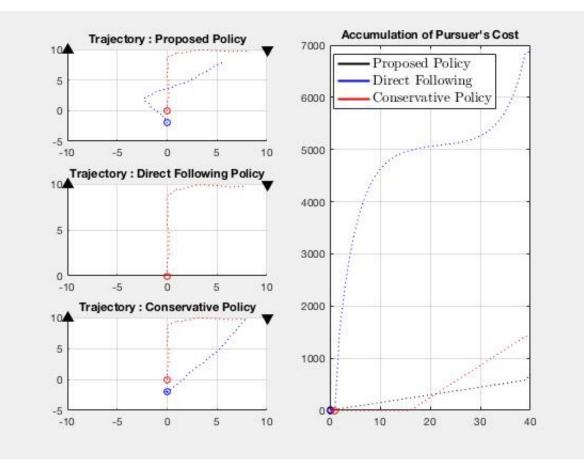
$$x^{k+1} = A^{k}(\theta)x^{k} + \sum_{i=1}^{N} B^{k}_{i}(\theta_{i})u^{k}_{i} + w^{k}.$$
$$g^{k}_{i}(x^{k}, u^{k}, \theta_{i}) = (x^{k} - x^{k}_{d_{i}})'D^{k}_{i}(\theta_{i})(x^{k} - x^{k}_{d_{i}}) + \sum_{j=1}^{N} (u^{k}_{j})'F^{k}_{ij}(\theta_{i})u^{k}_{j}$$

Solution Concept (Informal, (Huang and Zhu, 2021))

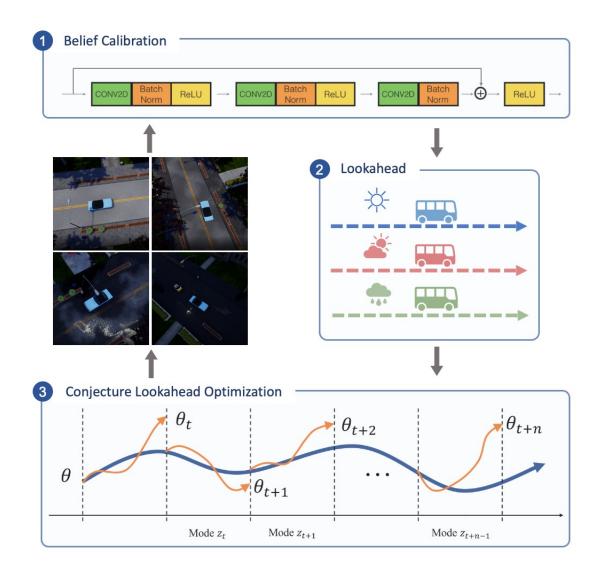
- Sequential Rationality: Control $u^{*,0:K-1}$ is sequential rational for each player *i* under his belief sequence $b^{*,0:K-1}$.
- Belief consistency: Each player *i's* belief sequence $b^{*,0:K-1}$ is consistent with rationality under control $u^{*,0:K-1}$.

Huang L, Zhu Q. A dynamic game framework for rational and persistent robot deception with an application to deceptive pursuit-evasion. IEEE Transactions on Automation Science and Engineering. 2021.





Future Challenges: Learning-Based Solutions

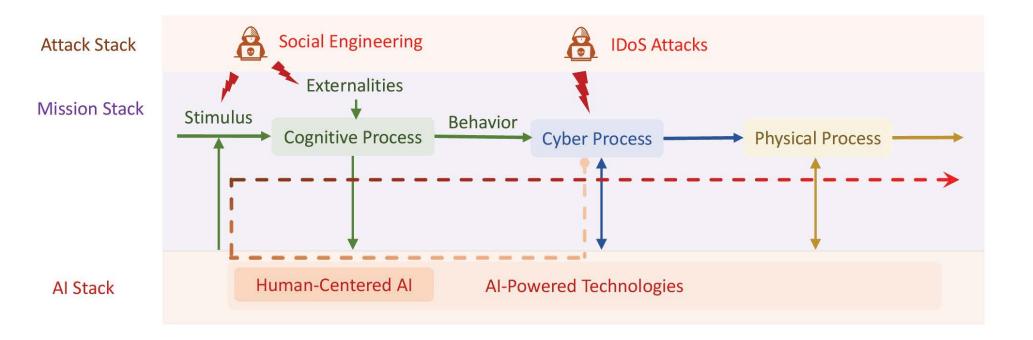


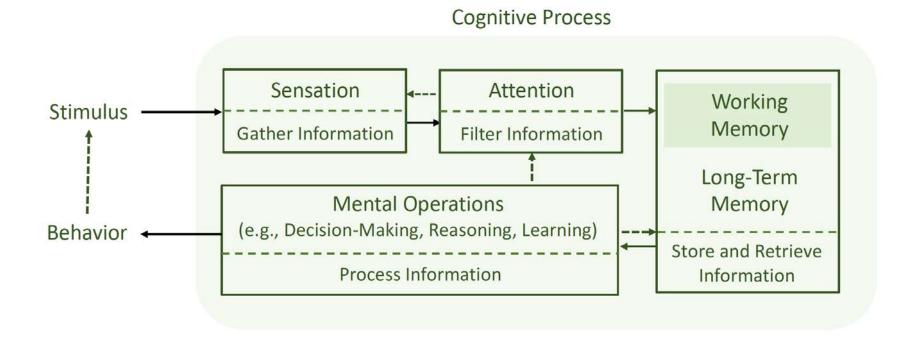
Li T, Lei H, Zhu Q. Self-Adaptive Driving in Nonstationary Environments through Conjectural Online Lookahead Adaptation. arXiv preprint arXiv:2210.03209. 2022 Oct 6.



Future Challenges: Human

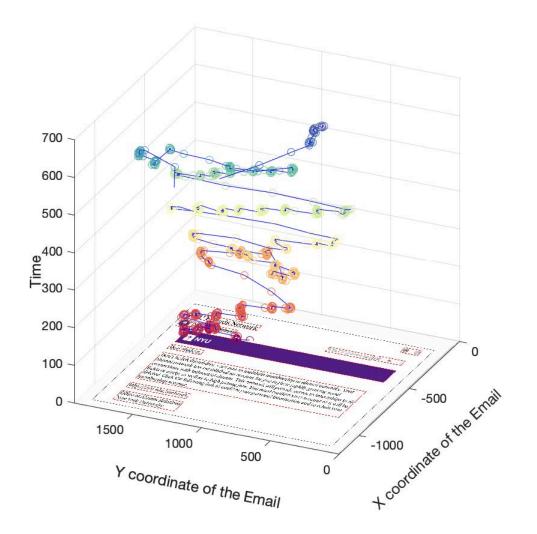


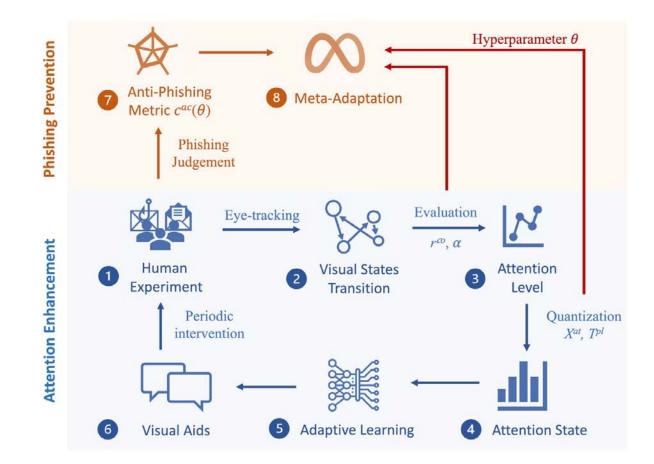




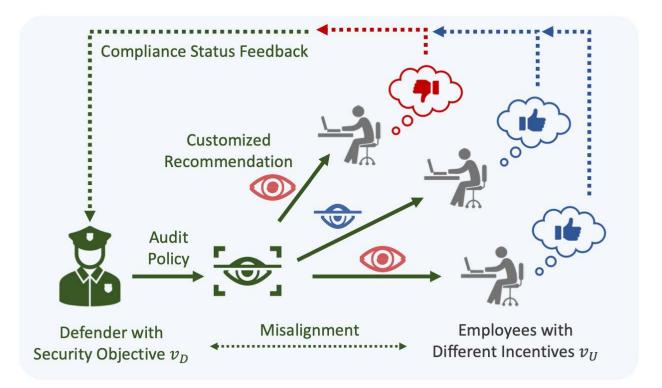
[Huang and Zhu, 2023]

Future Challenges: Mechanism Design

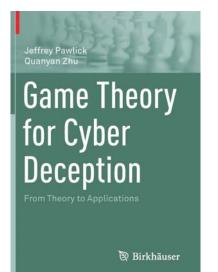


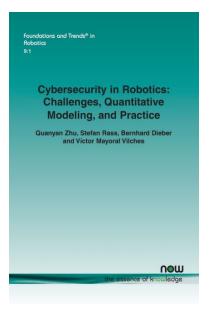


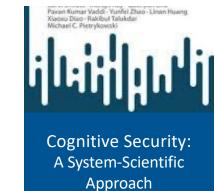
Huang L, Zhu Q. RADAMS: Resilient and adaptive alert and attention management strategy against informational denial-of-service (IDoS) attacks. Computers & Security. 2022 Oct 1;121:102844.



Huang L, Zhu Q. Duplicity games for deception design with an application to insider threat mitigation. IEEE Transactions on Information Forensics and Security. 2021 Oct 8;16:4843-56.







Approach (in progress)

D Springer

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